University of Ljubljana Faculty of Computer and Information Science



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# Catalogue of Knowledge

for enrolment into the second cycle Master's study programme

**Computer Science Education** 

2017/2018



# The Catalogue of Knowledge for the Selection Exam for Enrolment into the Second Cycle Master's Study Programme Computer Science Education

#### Programming

- basics of object-oriented and procedural programming
- program constructs for flow control (branching, loops, program structures)
- Iteration and recursion
- basic data types (integers, real numbers, streams, logic types) and operators
- exception handling

Magnus L. Hetland: Beginning Python, 2nd ed., Apress, 2008.

#### Algorithms

- basics of algorithmic complexity (notation by large O)
- data structures (list, queue, stack, set, priority queue, hash table, trees, graphs)
- basic programing techniques (greedy search, divide and concur, dynamic programming)
- standard algorithms (sort, minimum spanning tree search, shortest path search, etc.)

Kononenko in sod. Programiranje in algoritmi, Založba FE & FRI, 2008 (chapters 4.5.1, 5, 6.2.1, 7).

Cormen et al.: Introduction to algorithms, 3rd ed., The MIT press, 2009, chapters 2, 3.1, 4.1, 7.1, 7.2, 10.1, 10.2, 11.2, 12.1, 12.2, 12.3, 15.1, 16.1, 22.1, 22.2, 22.3, 22.4, 23.1, 23. 2.

#### **Computer systems**

- basics of digital circuits (Bool algebra, combinatorial and sequence logic, finite automata)
- number representation in computers
- basics of computer architecture

Kodek, Dušan: Arhitektura in organizacija računalniških sistemov, BI-TIM, Ljubljana, 2008 (ISBN 978-961-6046-08-4)

#### **Didactics and developmental psychology**

- factors and principles of mental development
- psychological characteristics of children, adolescent and adults
- individual differences and their impacts on personal development

#### Planning, teaching and evaluating educational process

- taxonomy of learning goals
- didactical components of teaching: from introduction to assessment Individual differences and their impacts on personal development
- teaching and learning methods. Forms of classroom interaction (individual work, groupcooperative work, tandem, frontal work)
- differentiation and individualization in teaching and learning
- teaching and learning strategies: inquiry education, problem-solving, project work

# Sample Tasks for Elective Exams

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# TASK 1

The following segment of program code is given:

Explanation: The function random.random() returns a random real number from the interval [0.0, 1.0).

What is the expected value of the variable i after execution of the above program?

- a) 600 b) 720
- c) 840
- d) 880
- e) 900

#### TASK 2

The following recursive function is given, which contains a part of the stopping criterion that is marked with yellow:

```
def fun_rek(n):
    if n == ____:
        return 2
    else:
        return n * fun rek(n+1)
```

Which of the following values of the stopping criterion causes the call  $fun_rek(2)$  to return result 240?

- a) 6
- b) 10
- c) 32
- d) 80
- e) 120

The following segment of a program code is given:

```
data = [[0,0,0,0],[0,0,0,0]]
for i in range(0, len(data)):
    for j in range(0, len(data[0])):
        if (i+j)%3 == 0:
            continue
        if (i+j) >= 3:
                break
        data[i][j] = i+j
```

Explanations:

- function range(0,b) returns a list of numbers [0, 1, 2, ..., b-1],
- function len(list) returns a number of elements in list list,
- indexing of list elements in the above programming language starts with index 0.

What is the value of list data after the execution of the above code?

a) [[0, 1, 2, 3], [1, 2, 3, 4]] b) [[0, 1, 2, 0], [1, 2, 0, 4]] c) [[0, 1, 0, 0], [1, 0, 0, 0]] d) [[0, 1, 2, 0], [1, 2, 0, 0]] e) [[0, -1, 0, 0], [-1, 0, 0, 0]]

#### TASK 4

The functions c and d below call subroutines <code>a1</code>, <code>a2</code> and <code>a3</code> with the following computational complexities:

a1 = O(n),  $a2 = O(n^3)$  in  $a3 = O(n \log n)$ .

<pre>void c(int n) {</pre>	<b>void</b> d( <b>int</b> n) {
int z = 0 ;	<b>int</b> i, j, s = 0 ;
<pre>if (a1(n)+a2(n)*a3(n) &gt; 1)</pre>	for (i=0 ; i < n ; i++)
z = 1 + a1(n);	<b>for</b> (j=0 ; j < n ; j++)
return z ;	s = s + a3(n);
}	return s ;

Select tight bounds for the asymptotic computational complexity of functions c and d.

- a)  $c = O(n^6 \log n)$  in  $d = O(n^2)$
- b)  $c = O(n^4 \log n)$  in  $d = O(n^3 \log n)$
- c)  $c = O(n^3)$  in  $d = O(n^3 \log n)$
- d)  $c = O(n^4)$  in  $d = O(n^3 \log n)$
- e)  $c = O(n^3)$  in  $d = O(n^2 \log n)$
- f)  $c = O(n^4 \log n)$  in  $d = O(n^2)$

In a program we use data structures stack, queue and priority queue (with smaller values having larger priority). Into the structures we insert the sequence of values: 5, 7, 12, 3 and 9. Which elements we get if we use operation pop on stack, dequeue on queue and deleteMin on priority queue?

- a) stack: 5, queue: 9, priority queue: 12
- b) stack: 9, queue: 3, priority queue: 12
- c) stack: 12, queue: 5, priority queue: 3
- d) stack: 36, queue: 5, priority queue: 5
- e) stack: 36, queue: 5, priority queue: 7
- f) stack: 9, queue: 5, priority queue: 3

#### TASK 6

Find the cost of the minimum spanning tree for the graph below.



- a) 5 b) 1 c) 13
- d) 12
- e) 32
- f) 14
- g) 25

Determine f(a,b,c) for two cases of logic values on the inputs: f(0,0,1) and f(0,1,1).



- a) 0,0
- b) 0,1
- c) 1,0d) 1,1
- u) 1,1

# TASK 8

Minimize logic function  $f(x,y,z) = xz' \vee xyz \vee x'z'$ . ('stands for negation)

- a) xz' V x'z'
- b) *x'y* V *z*
- c) xyz V x'
- d)  $xy \vee z'$

# TASK 9

Which decimal integer is represented by 0xE4 in the 8-bit two's complement notation?

- a) -28
- b) 28
- c) -228
- d) 228

### **TASK 10**

For which choice of a real number *a* are the line  $x = y - 1 = \frac{z+1}{2}$  and the plane ax + y + 2z = 3 in  $\mathbb{R}^3$  parallel?

- a) a = -5
- b) a = 0
- c) *a* = 1
- d) Nothing of the above.

For which choice of a real number a does the following system of equations have a solution?

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$$x + ay - z = 0$$
  

$$x + y + 3z = 12$$
  

$$y - 2z = 3$$

- a)  $a \neq 1$
- b)  $a \neq 3$
- c) System has a solution for every  $a \in \mathbb{R}$
- d) Nothing of the above

# **TASK 12**

Let a continuous and differentiable function f on the interval [-5,5] have its local maximum in (-2,3) and its local minimum in (1,-3). Which od the following statements can be false?

- a) f'(-2) = 0
- b) The graph of f has a tangent line at x = 1 parallel to x-axis
- c) Maximum value of f on the interval (-5,5) is equal to 3
- d) The graph of f intersects x-axis and y-axis

#### **TASK 13**

For given complex numbers  $z = 2 e^{i\frac{\pi}{2}}$  and  $w = \frac{1}{2} e^{i\frac{\pi}{4}}$ , what is the absolute value of the complex number  $\frac{z}{w}$ ?

a) 1 b) 4 c)  $\frac{\pi}{4}$ d)  $\frac{3\pi}{4}$